

24-8

$H_0$ : Each spot is = likely ( $P_A = P_B = \dots = P_F$ )

$H_a$ : At least one spot is not = likely

$$df = 5$$

$$\cdot \text{exp.} = 71/6 = 11.8\bar{3} \geq 5$$

• treat cones are SRS  
of all possible cones

$$\chi^2 = \frac{(9-11.8\bar{3})^2}{11.8\bar{3}} + \frac{(6-11.8\bar{3})^2}{11.8\bar{3}} + \dots + \frac{(23-11.8\bar{3})^2}{11.8\bar{3}}$$

$$= 64.65$$

$$P_r(\chi^2 > 64.65) \approx 0$$

with a p-value of  $\approx 0$ , this is sign. at  $\alpha = .001$   
Reject  $H_0$ . At least one spot  
is not = likely.

- which spot contributed most test stat. ( $\chi^2$ )

24-15

	T	F
rej	I	power
fail		II

50/25/25  
 $H_0 \rightarrow \text{False}$

$H_0$ : colors are = likely  
 $H_a$ : at least one color isn't = likely

a) No + guar. to reject  
 not sign. diff.

b) Type II

c) larger  $n \Rightarrow$  inc. power / dec. Type II \*you .....

25-1

	72	88	04	
Very happy	486 (511.05)	498 (466.5)	419 (425.45)	1403
Less than	1120 (1094.95)	968 (999.5)	918 (911.55)	3006
	1406	1466	1337	4409

$p = \text{prop. of all adult Amer. who consider themselves very happy}$   
 $H_0: P_{72} = P_{88} = P_{04}$

$H_a$ : at least one of the above prop. differs.

$$\chi^2 = \frac{(486 - 511.05)^2}{511.05} + \frac{(498 - 466.5)^2}{466.5} + \frac{(419 - 425.45)^2}{425.45} + \frac{(1120 - 1094.95)^2}{1094.95} + \frac{(968 - 999.5)^2}{999.5} + \frac{(918 - 911.55)^2}{911.55}$$

$$\chi^2 = 5.064$$

$$Pr(\chi^2 > 5.064) = .0795$$

p-value of .0795, is not sign. at  $\alpha = .05$ . Fail to reject  $H_0$ .

I do not have the prop. of AA. Who are very happy has changed

obs. units: Amer. adults

exp: year  $\rightarrow$  categ.

resp: very happy/not  
categ. bin.

Obs. study:

- ind. random samples
- $\rightarrow$  took random surveys in '72, '88, '04

$$exp. = \frac{R \cdot C}{n}$$

$$\text{very happy } 1988 = \frac{1403 \cdot 1466}{4409}$$

$$d.f. = (r-1)(c-1)$$

$$= (2-1)(3-1)$$

$$= 2$$